

A Unified Symbolic Analysis of WireGuard

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February 27, 2024

LIMOS

#NDSSSymposium2024

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Formal Verification of security protocols

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Formal Verification of security protocols

Manual proofs

- ▶ Error prone
- ▶ Tedious
- ▶ Active Adversaries
- ▶ Guarantees on security ?

Formal Verification of security protocols

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- ▶ Guarantees on security ?

Software tools

- ▶ Automated & semi-automated
- ▶ Formal proofs
- ▶ Handle protocols' complexity
- ▶ Dedicated approaches
- ▶ **Symbolic** & Computational

Target models for WireGuard

- \blacktriangleright u, $U = g^u$, $v, V = g^v \rightsquigarrow$ static keys, $x, X = g^x, y, Y = g^y \rightsquigarrow$ ephemeral keys, psk \rightsquigarrow pre-shared key
- **►** ts timestamp, s_i , $s_r \rightsquigarrow$ session identifiers, $i_* \rightsquigarrow$ counters, $P_* \rightsquigarrow$ plaintexts
- $\blacktriangleright \{\cdot\} \rightsquigarrow$ encryption
- $\rho \rightsquigarrow$ nonce, $\tau \rightsquigarrow$ cookie

Current analyses

Symbolic

- 2018: J. A. Donenfeld and K. Milner, "Formal verification of the WireGuard protocol" WireGuard
- 2019: N. Kobeissi, G. Nicolas, and K. Bhargavan, "Noise explorer: Fully automated modeling and verification for arbitrary Noise protocols" *IKpsk2*
- ▶ 2020: G. Girol, L. Hirschi, R. Sasse, D. Jackson, C. Cremers, and D. A. Basin, "A spectral analysis of Noise: A comprehensive, automated, formal analysis of Diffie-Hellman protocols" *IKpsk2*

Computationnal

- 2018: B. Dowling and K. G. Paterson, "A cryptographic analysis of the WireGuard protocol" WireGuard
- ▶ 2019: B. Lipp, B. Blanchet, and K. Bhargavan, "A mechanised cryptographic proof of the "WireGuard virtual private network protocol" WireGuard

Threats

- ▶ Static private key reveal / set
	- ▶ Ephemeral private key reveal / set
	- ▶ PSK reveal / set
	- ▶ Static key distribution corruption

Security Properties

- ▶ Message agreement
- ▶ Key secrecy (incl. PFS)
- ▶ Anonymity

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Current analyses

What is the scope of WireGuard analyses ?

▶ Lazy answer: full protocol !

Are IKpsk2 analyses applicable to WireGuard ?

▶ Lazy answer: yes !

Are threat model equivalent ? Are all verification done ?

▶ Lazy answer: come on, we have a proof, it's enough !

Current analyses

What is the scope of WireGuard analyses ?

- ▶ Lazy answer: full protocol !
- ▶ **Correct answer: should be studied !**

Are IKpsk2 analyses applicable to WireGuard ?

- ▶ Lazy answer: yes !
- ▶ **Correct answer: should be studied !**

Are threat model equivalent ? Are all verification done ?

- ▶ Lazy answer: come on, we have a proof, it's enough !
- ▶ **Correct answer: should be studied !** Adversary can
	- \blacktriangleright get u, v, x, y , psk before / after protocol execution
	- \blacktriangleright set *u*, *v*, *x*, *y*, psk
	-
	- $\triangleright \text{ compromise } U \text{ and } V \text{ distribution}$

	► and combine (2⁵⁺⁵⁺⁵⁺² = 2¹⁷ = 131072 combinations per property) !

Symbolic analyis of WireGuard (TAMARIN)

2018: J. A. Donenfeld and K. Milner, "Formal verification of the WireGuard protocol"

Threats

- ▶ Static private key reveal / / set X
- ▶ Ephemeral private key reveal \checkmark / set \checkmark
- ▶ PSK reveal **/** / set **X**
- ▶ Static key distribution corruption ✗

- ▶ Message agreement ✓
- ▶ Key secrecy ✓ (PFS ✗)
- ▶ Anonymity ✓

Verified Combinations

 \triangleright \boldsymbol{x}

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Our target threat model for WireGuard

Threats

- ▶ Static private key reveal ✓ / set ✓
- ▶ Ephemeral private key reveal ✓ / set ✓
- ▶ PSK reveal **✓** / set ✓
- ▶ Static key distribution corruption ✓
- ▶ New! Pre-computation reveal ✓ / set ✓

Pre-computation ?

- ▶ Static-static key :
	- Initiator $V^u = g^{uv}$
	- Responder $U^{\vee} = g^{uv}$

before session begins, hence WireGuard maintains it.

Compromise of g^{uv} is **weaker** than compromise of u or v :

- \blacktriangleright $u \wedge g^v \implies g^{uv}$
- ▶ however $g^v \wedge g^{uv} \neq u$

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Our symbolic models of WireGuard (TAMARIN, PROVERIF, SAPIC+**)**

Security Properties

- ▶ Message agreement ✓
- ▶ Key secrecy ✓ (PFS ✓)
- ▶ Anonymity ✓

Verified Combinations

▶ New! 2^{21} per property \checkmark

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Threats

- ▶ Static private key reveal ✓ / set ✓
- ▶ Ephemeral private key reveal ✓ / set ✓
- ▶ PSK reveal **/** / set **/**
- ▶ Static key distribution corruption ✓
- ▶ New! Pre-computation reveal ✓ / set ✓

Our results : necessary and sufficient conditions

- \triangleright D_u , D_v : adversary corrupts public keys distribution
- \blacktriangleright $R_u, R_v, R_x, R_v, R_s, R_c$: adversary gets private keys (u, v, x, y) , psk (s) or pre-comp. value (c)
- ► $R_u^*, R_v^*, R_s^*, R_c^*$: adversary gets private keys (u, v) , psk (s) or pre-comp. value (c) after protocol execution (for PFS)

Results

- ▶ agreement of RecHello and TransData (R to I) messages hold **unless** $(D_v \wedge R_s) \vee (R_s \wedge R_v) \vee (R_c \wedge R_s \wedge R_x) \vee (R_s \wedge R_u \wedge R_x)$
- ▶ agreement of TransData (I to R) messages hold **unless** $(D_u \wedge R_s) \vee (R_s \wedge R_u) \vee (R_c \wedge R_s \wedge R_v) \vee (R_s \wedge R_v \wedge R_v)$
- ▶ Key Secrecy from Initiator's view, including PFS hold **unless** $(D_v \wedge R_s) \vee (R_s \wedge R_v) \vee (R_c \wedge R_s \wedge R_x) \vee (R_s \wedge R_u \wedge R_x) \vee (R_s^* \wedge R_u^* \wedge R_x) \vee (R_s^* \wedge R_v^* \wedge R_y) \vee (R_c^* \wedge R_s^* \wedge R_y)$
- ▶ Key Secrecy from Responder's view, including PFS hold **unless** $(D_u \wedge R_s) \vee (R_s \wedge R_u) \vee (R_c \wedge R_s \wedge R_y) \vee (R_s \wedge R_v \wedge R_y) \vee (R_s^* \wedge R_u^* \wedge R_x) \vee (R_s^* \wedge R_v^* \wedge R_y) \vee (R_c^* \wedge R_s \wedge R_y)$

Our results : interpretation

Results

- ▶ agreement of RecHello and TransData (R to I) messages hold **unless** $(D_v \wedge R_s) \vee (R_s \wedge R_v) \vee (R_c \wedge R_s \wedge R_v) \vee (R_s \wedge R_u \wedge R_v)$
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- ▶ Key Secrecy from Responder's view, including PFS hold **unless** $(D_{\mathbf{u}} \wedge R_{\mathbf{s}}) \vee (R_{\mathbf{s}} \wedge R_{\mathbf{u}}) \vee (R_{\mathbf{s}} \wedge R_{\mathbf{v}} \wedge R_{\mathbf{v}}) \vee (R_{\mathbf{s}}^* \wedge R_{\mathbf{u}}^* \wedge R_{\mathbf{x}}) \vee (R_{\mathbf{s}}^* \wedge R_{\mathbf{v}}^* \wedge R_{\mathbf{v}}) \vee (R_{\mathbf{c}}^* \wedge R_{\mathbf{s}}^* \wedge R_{\mathbf{x}} \wedge R_{\mathbf{y}})$

Key distribution corruption

Agreement and key secrecy hold **unless** adversary:

- ▶ compromises U distribution **AND** gets psk
- ▶ **OR** compromises V distribution **AND** gets psk

=⇒ **Shall not be eluded !**

Our results : interpretation

Results

- ▶ agreement of RecHello and TransData (R to I) messages hold **unless** $(D_v \wedge R_{\rm s}) \vee (R_{\rm s} \wedge R_{\rm v}) \vee (R_{\rm c} \wedge R_{\rm s} \wedge R_{\rm v}) \vee (R_{\rm s} \wedge R_{\rm u} \wedge R_{\rm v})$
- ▶ agreement of TransData (I to R) messages hold **unless** $(D_u \wedge R_s) \vee (R_s \wedge R_u) \vee (R_c \wedge R_s \wedge R_v) \vee (R_s \wedge R_v \wedge R_v)$
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- ▶ Key Secrecy from Responder's view, including PFS hold **unless** $(D_u \wedge R_{\mathsf{s}}) \vee (R_{\mathsf{s}} \wedge R_u) \vee (R_{\mathsf{c}} \wedge R_{\mathsf{s}} \wedge R_{\mathsf{y}}) \vee (R_{\mathsf{s}} \wedge R_{\mathsf{y}} \wedge R_{\mathsf{y}}^* \wedge R_u^* \wedge R_{\mathsf{x}}) \vee (R_{\mathsf{s}}^* \wedge R_{\mathsf{y}}^* \wedge R_{\mathsf{y}}^* \wedge R_{\mathsf{s}}^* \wedge R_{\mathsf{x}} \wedge R_{\mathsf{y}})$

Pre-shared key

psk compromise is necessary to break all properties. =⇒ **Shall be mandatory (and not optional) !**

Our results : interpretation

Results

- ▶ agreement of RecHello and TransData (R to I) messages hold **unless** $(D_v \wedge R_s) \vee (R_s \wedge R_v) \vee (R_c \wedge R_s \wedge R_v) \vee (R_s \wedge R_u \wedge R_v)$
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- ▶ Key Secrecy from Responder's view, including PFS hold **unless** $(D_u \wedge R_s) \vee (R_s \wedge R_u) \vee (R_c \wedge R_s \wedge R_y) \vee (R_s \wedge R_v \wedge R_y) \vee (R_s^* \wedge R_u^* \wedge R_x) \vee (R_s^* \wedge R_v^* \wedge R_y) \vee (R_c^* \wedge R_s^* \wedge R_s \wedge R_y)$

Pre-computation

In some cases, R_c has same impact as R_u or R_v , although weaker. =⇒ **Shall be removed !**

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Anonymity

Claim: Identity Hiding Forward Secrecy

- \triangleright a compromise of the responder's private key and a traffic log of previous handshakes would enable an attacker to figure out who has sent handshakes
- \triangleright it is possible to trial hash to guess whether or not a packet is intended for a particular responder

(Identity hiding also proven in 2018 model with TAMARIN)

$$
\boxed{\mathbb{G}, u, U = g^u, V_1, V_2, x, X = g^x, ts, psk} \quad \boxed{\mathbb{G}, \mathbf{v}_*, \mathbf{V}_* = g^v^*, U, y, Y = g^y, psk} \quad \boxed{[1 \parallel 0^3 \parallel s_i \parallel X \parallel \{U\} \parallel \{ts\} \parallel \text{mac}_i \parallel 0^{16}]}} \\
$$
\n
$$
\text{mac}(\mathsf{H}(\mathsf{V}_1), [2] \cdots \parallel \{ \varnothing \}) \stackrel{?}{=} \text{mac}_1' \quad \boxed{\mathbb{G}, \mathbf{v}_*, \mathbf{V}_* = g^v^*, U, y, Y = g^y, psk}
$$
\n
$$
\text{mac}(\mathsf{H}(\mathsf{V}_2), [2] \cdots \parallel \{ \varnothing \}) \stackrel{?}{=} \text{mac}_1' \quad \boxed{\mathbb{G}, \mathbf{v}_*, \mathbf{V}_* = g^y, \text{psk}_1' \quad \boxed{\mathbb{G}, \mathbf{v}_*, \mathbf{V}_* = g^y, \text{psk}_2' \quad \boxed{\mathbb{G}, \mathbf{v}_*, \mathbf{V}_* = g^y, \text{psk}_1' \quad \boxed{\mathbb{G}, \mathbf{v}_*, \mathbf{V}_* = g^y, \text{psk}_2' \quad \boxed{\mathbb{G}, \mathbf{v}_*, \mathbf{V}_* = g^y, \text{psk}_1' \quad \boxed{\mathbb{G}, \mathbf{v}_*, \mathbf{V}_* = g^y, \text{psk}_1' \quad \boxed{\mathbb{G}, \mathbf{v}_*, \mathbf{V}_* = g^y, \text{psk}_2' \quad \boxed{\mathbb{G}, \mathbf{v}_*, \mathbf{V}_* = g^y, \text{psk}_1' \quad \boxed{\mathbb{G}, \mathbf{v}_*, \mathbf{V}_* = g^y, \text{psk}_2' \quad \boxed{\mathbb{G}, \mathbf{v}_*, \mathbf{V}_* = g^y, \text{psk}_1' \quad \boxed{\mathbb{G}, \mathbf{v}_*, \mathbf{V}_* = g^y, \text{psk}_2' \quad \boxed{\mathbb{G}, \mathbf{v}_*, \mathbf{V}_* = g^y, \text{psk}_1' \quad \boxed{\mathbb{G}, \mathbf{v}_*, \mathbf{V}_* = g^y
$$

- $\blacktriangleright \{U\}$ is encrypted with g^{xy} , hence if v leaks then U is known.
- ▶ InitHello message is $[1||0^3||s_i||X||{U}||{ts}||$ **macⁱ** $||0^{16}]$
- ▶ **mac**ⁱ₁ = mac(H(*V*), [1 $|| \cdots ||$ {*ts*}]), where *V* is public \Longrightarrow *V* can leak !

Anonymity

Claim: Identity Hiding Forward Secrecy

- \triangleright a compromise of the responder's private key and a traffic log of previous handshakes would enable an attacker to figure out who has sent handshakes
- \triangleright it is possible to trial hash to guess whether or not a packet is intended for a particular responder

(Identity hiding also proven in 2018 model with TAMARIN)

However issue is the same for RecHello message ! (explained in "A mechanised cryptographic proof of the WireGuard VPN protocol")

- ▶ RecHello message is $[2||0^3||s_r||s_i||Y||{@}||$ **mac^r** $[|0^{16}]$
- ▶ **mac**^{*r*}_{1} = mac(H(*U*), [2 $|| \cdots ||\{\emptyset\}$]), where *U* is public $\Longrightarrow U$ can leak !

Anonymity

Claim: Identity Hiding Forward Secrecy

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(Identity hiding also proven in 2018 model with TAMARIN)

⇝ Reality: WireGuard does **not** provide anonymity at all (key compromise is not necessary) ...

Anonymity

Claim: Identity Hiding Forward Secrecy

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(Identity hiding also proven in 2018 model with TAMARIN)

⇝ Reality: WireGuard does **not** provide anonymity at all (key compromise is not necessary) ...

Proposed fixes

- ▶ Remove **mac** (i.e. use IKpsk2)
- ▶ Change **mac** computation :
	- $\begin{array}{lll} \blacktriangleright & \text{mac}_1^r = \text{mac}(\mathsf{H}(U \| g^{uv}), [2 \| \cdots \| \{ \varnothing \}]) \\ & \text{mac}_1^r = \text{mac}(\mathsf{H}(U \| \text{psk}), [2 \| \cdots \| \{ \varnothing \}]) \end{array}$
	-

 \implies With these fixes anonymity is **verified** with PROVERIF

Conclusion

- ▶ Currently WireGuard ensures:
	- ▶ Agreement
	- ▶ Key secrecy and PFS
- ▶ Recommandations for end users:
	- ▶ Use pre-shared key
	- ▶ Care about static key distribution
	- ▶ Do not rely on WireGuard for anonymity
- \blacktriangleright Recommandations for stakeholders:
	- ▶ Remove pre-computation
	- \blacktriangleright Fix anonymity

▶ Do you have questions ?

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Detailed models analysis Combinations

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Computationnal analysis of WireGuard (manual)

2018: B. Dowling et al., "A cryptographic analysis of the WireGuard protocol"

Threats

- ▶ Static private key reveal / / set X
- ▶ Ephemeral private key reveal \checkmark / set \checkmark
- ▶ PSK reveal **/** / set **X**
- ▶ Static key distribution corruption ✗

Security Properties

- ▶ Message agreement ✓
- ▶ Key secrecy ✓ (PFS ✗)
- ▶ Anonymity **X**

Verified Combinations

 \triangleright \cdot

[Detailed models analysis](#page-23-0) [Combinations](#page-28-0) [Benchmarks](#page-27-0) Benchmarks Combinations Combinations 0000

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Computationnal analysis of WireGuard (CRYPTOVERIF)

2019: B. Lipp et al., "A mechanised cryptographic proof of the WireGuard VPN protocol"

Threats

- ▶ Static private key reveal ✓ / set ✓
- ▶ Ephemeral private key reveal \checkmark / set \checkmark
- ▶ PSK reveal **/** / set **/**
- ▶ Static key distribution corruption ✓

Security Properties

- ▶ Message agreement ✓
- ▶ Key secrecy ✓ (PFS ✓)
- ▶ Anonymity X

Verified Combinations

 \triangleright \cdot

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Symbolic analysis of IKpsk2 (PROVERIF)

2019: N. Kobeissi et al., "Noise explorer: Fully automated modeling and verification for arbitrary Noise protocols"

Threats

- ▶ Static private key reveal / / set X
- ▶ Ephemeral private key reveal $\boldsymbol{\chi}$ / set $\boldsymbol{\chi}$
- ▶ PSK reveal **/** / set **X**
- ▶ Static key distribution corruption ✗

- ▶ Message agreement ✓
- ▶ Key secrecy ✓ (PFS ✓)
- ▶ Anonymity X

Verified Combinations

 \triangleright \cdot

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Symbolic analysis of IKpsk2 (TAMARIN)

2020: G. Girol et al., "A spectral analysis of Noise: A comprehensive, automated, formal analysis of Diffie-Hellman protocols"

Threats

- ▶ Static private key reveal ✓ / set ✓
- ▶ Ephemeral private key reveal ✓ / set ✓
- ▶ PSK reveal / / set /
- ▶ Static key distribution corruption ✓
- ▶ Key secrecy ✓ (PFS ✓)
- ▶ Anonymity ✓

Verified Combinations

▶ ✓

Benchmarks

With a dedicated 256 cores server

- \triangleright Evaluation of agreement and secrecy properties (PROVERIF, TAMARIN, SAPIC⁺) : 9 hours
- \blacktriangleright Evaluation of fix for anonymity, based on g^{uv} (PROVERIF) : 12 hours
- ▶ Evaluation of fix for anonymity, based on psk (PROVERIF) : 2 hours

Combinations

With pre-computation

Adversary can

- \blacktriangleright get u, v, x, y, psk, g^{uv} before / after protocol execution
- ▶ set u, v, x, y , psk, g^{uv} for Initiator and g^{uv} for Responder
- \triangleright compromise U and V distribution
- ▶ and combine $(2^{6+6+7+2} = 2^{21} = 2097152$ combinations per property) !